

$\Lambda(1405)$ production in $K^- d \rightarrow n \pi \Sigma$ at DAFNE

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$K^- N$ interaction and the two $\Lambda(1405)$ states

$K^- d \rightarrow n \pi \Sigma$ with finite K^- momentum

$K^- d \rightarrow n \pi \Sigma$ at DAFNE

A possible $K^- NN$ strongly bound state with $S=1$ for NN

The $\bar{K}N$ interaction is studied using chiral lagrangians and unitary techniques in coupled channels: Chiral Unitary Approach.

Several resonances are dynamically generated, including two $\Lambda(1405)$ states, from the interaction of the octet of pseudoscalar mesons and the octet of baryons: $\bar{K}N$, $\pi\Sigma$, $\pi\Lambda$, $\eta\Sigma$, $\eta\Lambda$, $K\Xi$

$\bar{K}N$, $\pi\Sigma$ are the most important channels for the $\Lambda(1405)$.

Poles of $S=-1 J^P=1/2^-$ Resonances

Jido, Oller, Oset, Ramos, Meissner NPA03

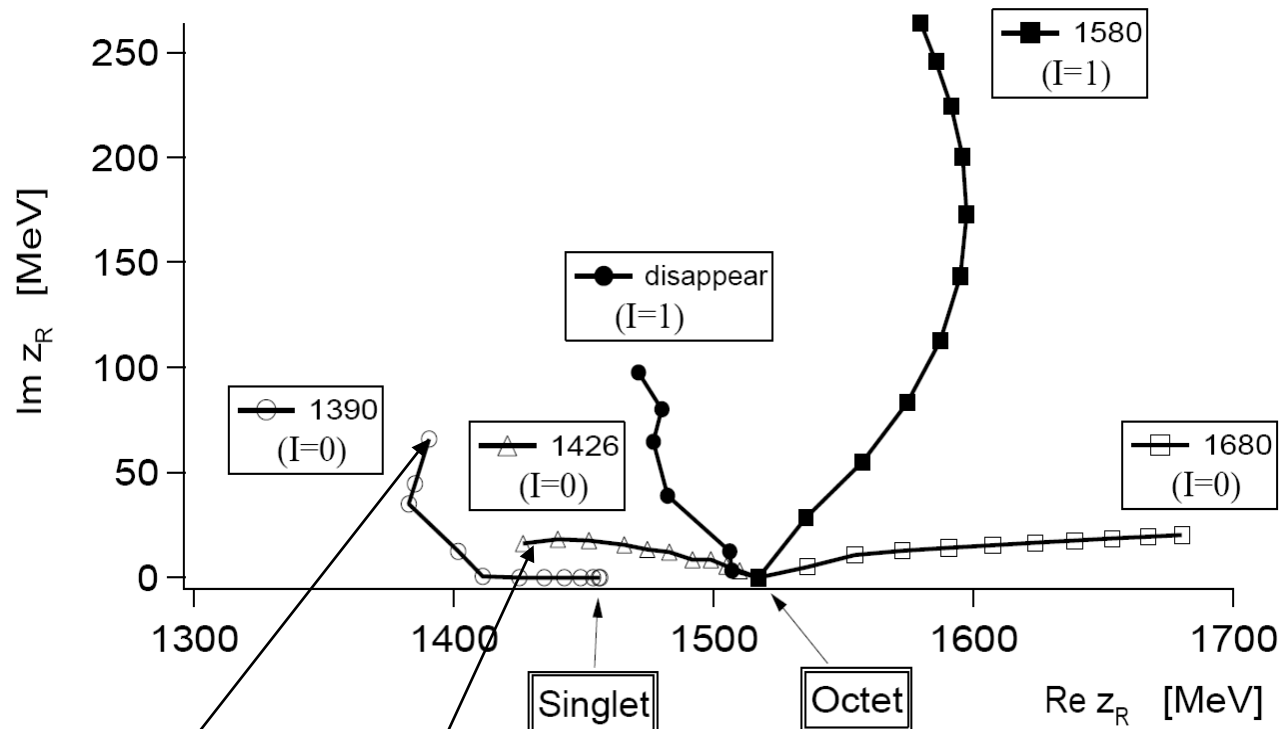
$$8 \otimes 8 = 1 \oplus 8_s \oplus 8_a \oplus 10 \oplus \overline{10} \oplus 27$$

$$M_i(x) = M_0 + x(M_i - M_0),$$

$$m_i^2(x) = m_0^2 + x(m_i^2 - m_0^2),$$

$$a_i(x) = a_0 + x(a_i - a_0),$$

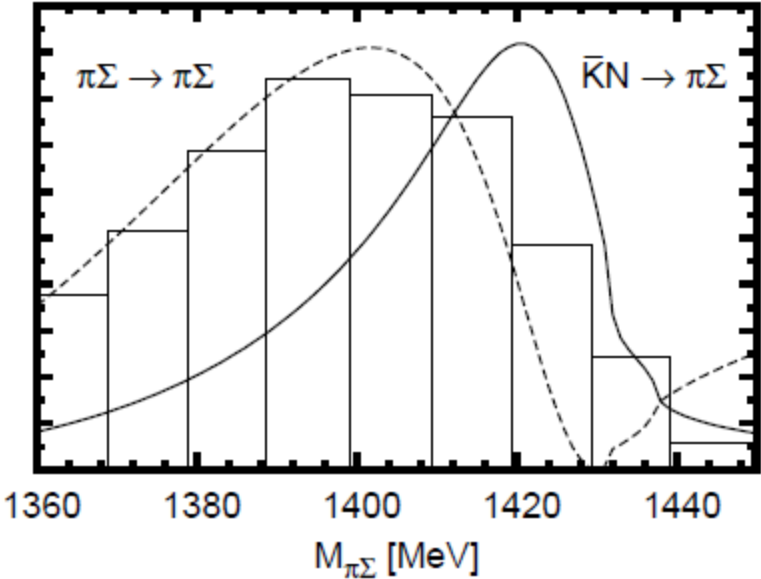
$$x \in [0,1]$$



Couples strongly to $\bar{K} N$

Couples strongly to $\pi \Sigma$

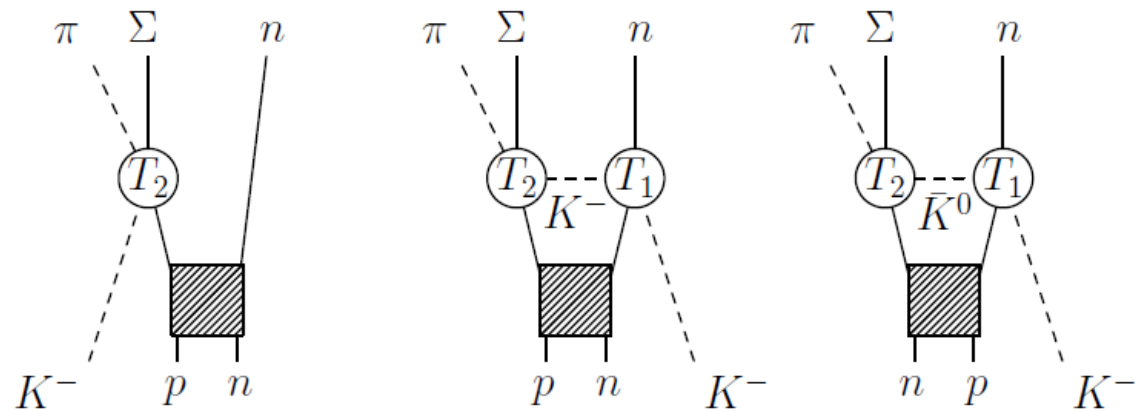
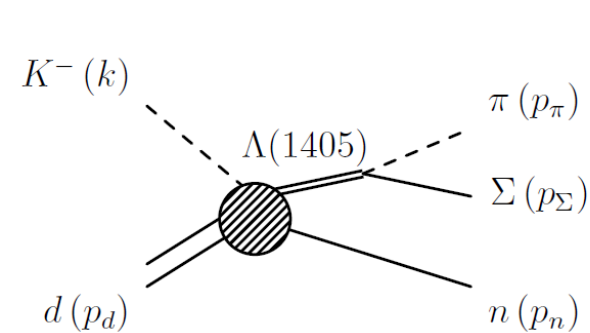
Effect of coupling to the different states in different amplitudes



The nominal $\Lambda(1405)$ has this mass, the theory says that if we excite the resonance induced by $K\bar{N}$ we should mostly excite the narrow state around 1520 MeV..... Example of $K^- p \rightarrow \pi^0 \pi^0 \Sigma^0$, Prakhov

A new reaction to test it : $K^- d \rightarrow n \pi \Sigma$,

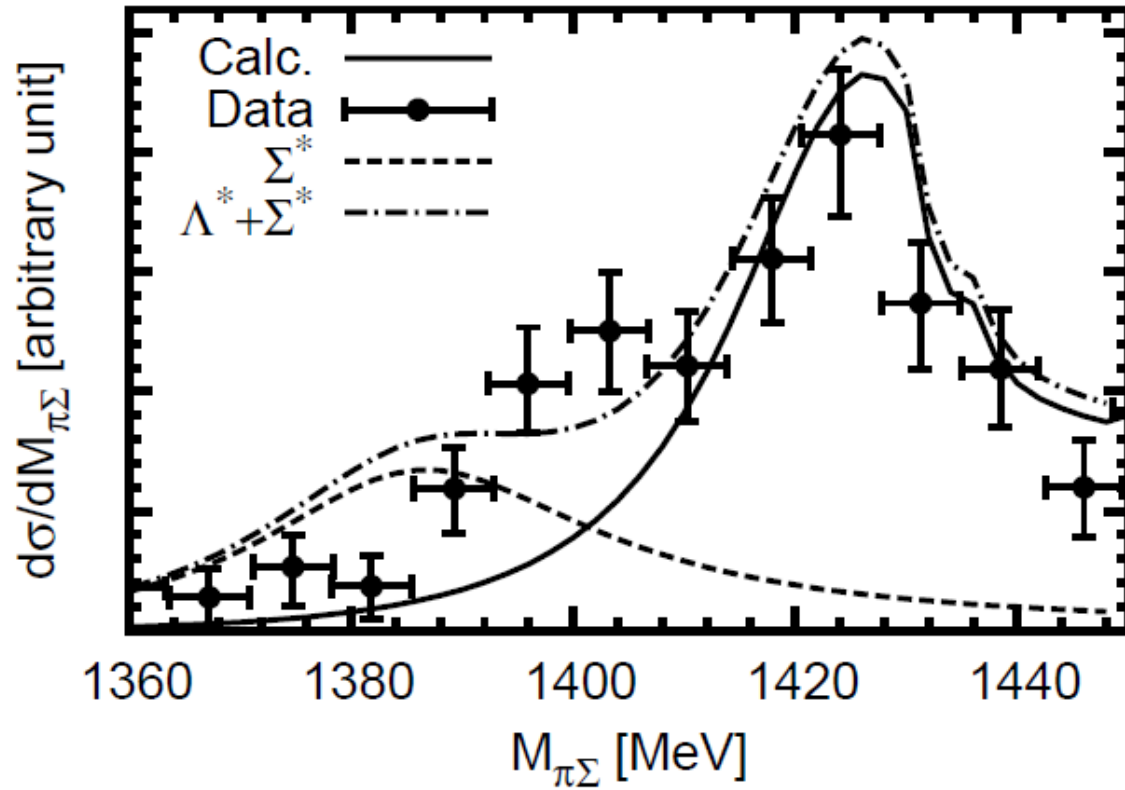
$\Lambda(1405)$ is below $K\bar{N}$ threshold ????????



$$\mathcal{T}_1 = T_{K^- p \rightarrow \pi \Sigma}(M_{\pi \Sigma}) \varphi(\mathbf{p}_n - \frac{\mathbf{p}_d}{2})$$

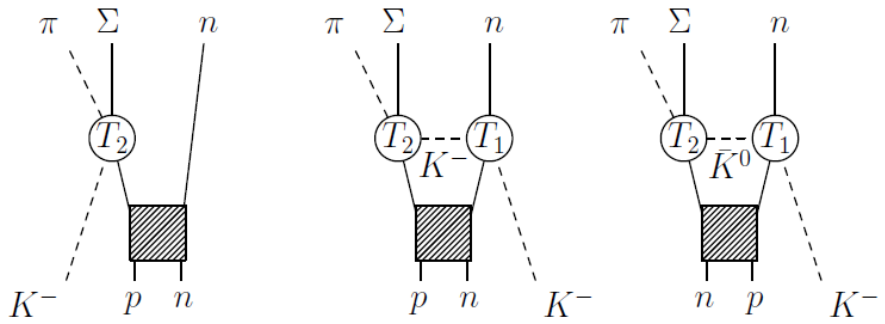
$$\mathcal{T}_2 = T_{K^- p \rightarrow \pi \Sigma}(M_{\pi \Sigma}) \int \frac{d^3 q}{(2\pi)^3} \frac{\tilde{\varphi}(\mathbf{q} + \mathbf{p}_n - \mathbf{k} - \frac{\mathbf{p}_d}{2})}{q^2 - m_K^2 + i\epsilon} \times T_{K^- n \rightarrow K^- n}(W_1) . \quad ($$

O. Braun *et al.*, Nucl. Phys. B **129**, 1 (1977)



Theory: Jido, Sekihara, E. O. Eur Phys J A 2009

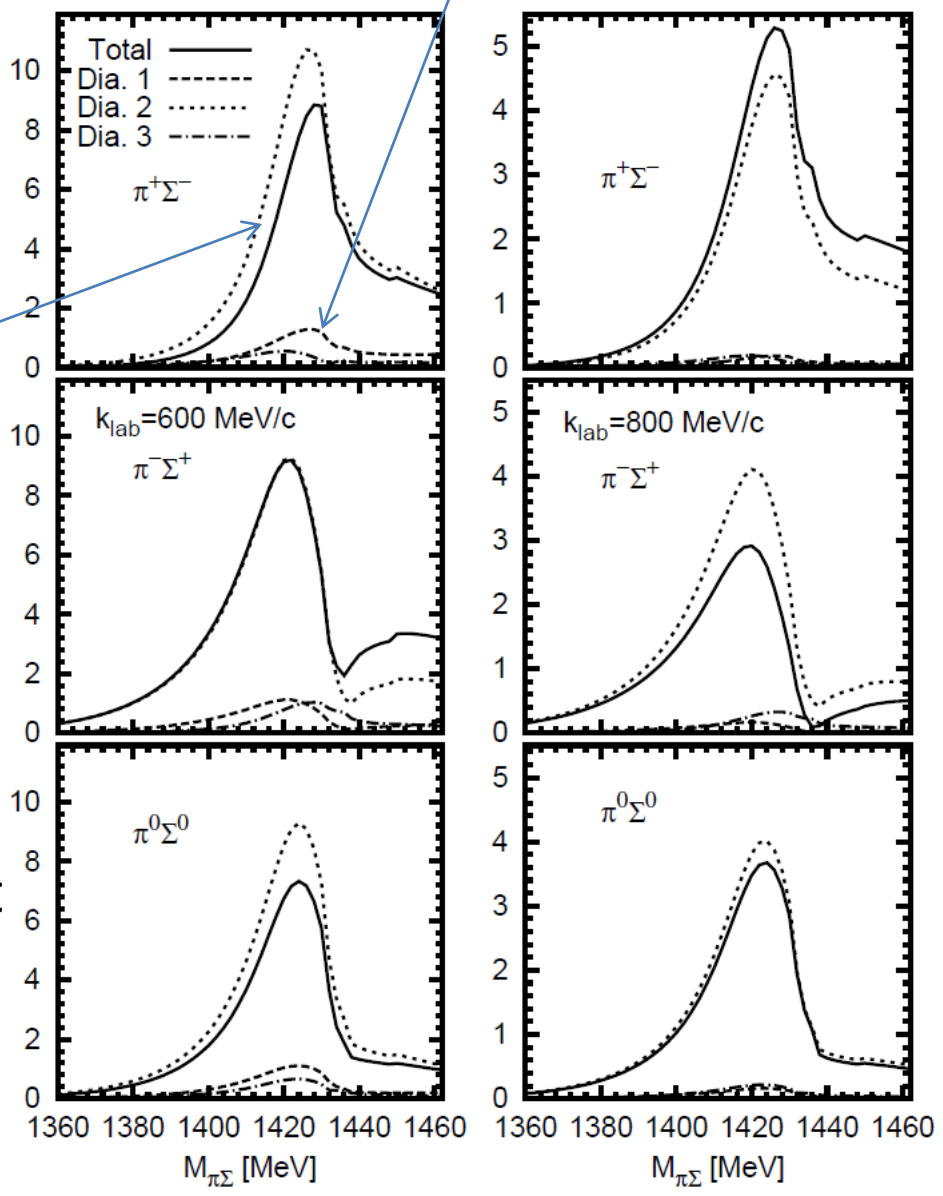
Single scattering



Double scattering

The single scattering contributes mostly at large M_{inv} corresponding to free $K^- p$ scattering with K^- in flight

$d\sigma/dM_{\pi\Sigma}$ [$\mu\text{b}/\text{MeV}$]

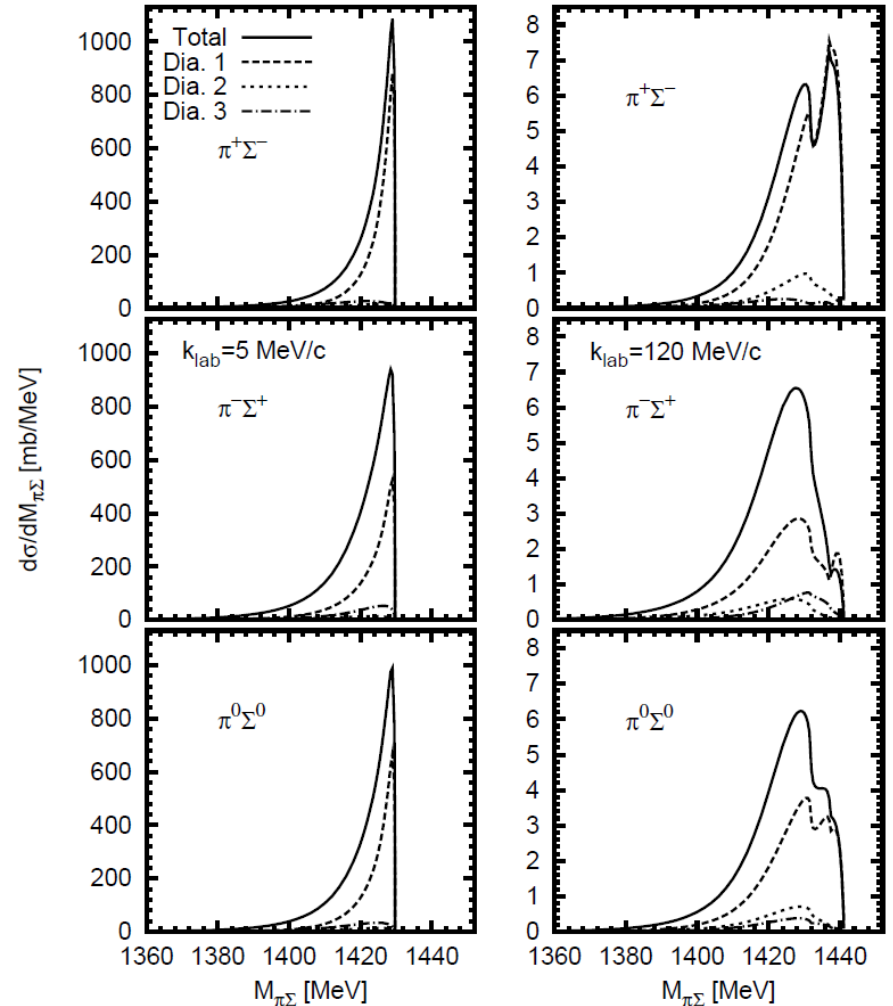
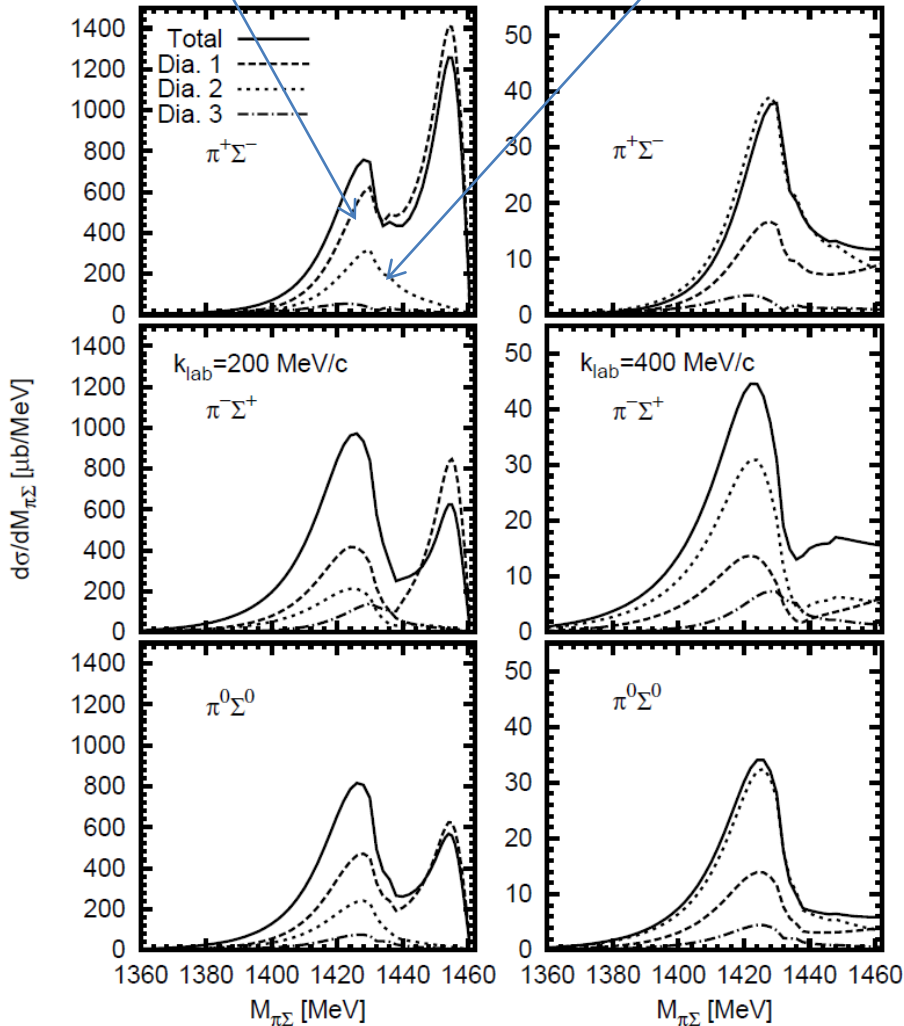


What happens if we decrease the K- momentum?

Single scattering

Double scattering

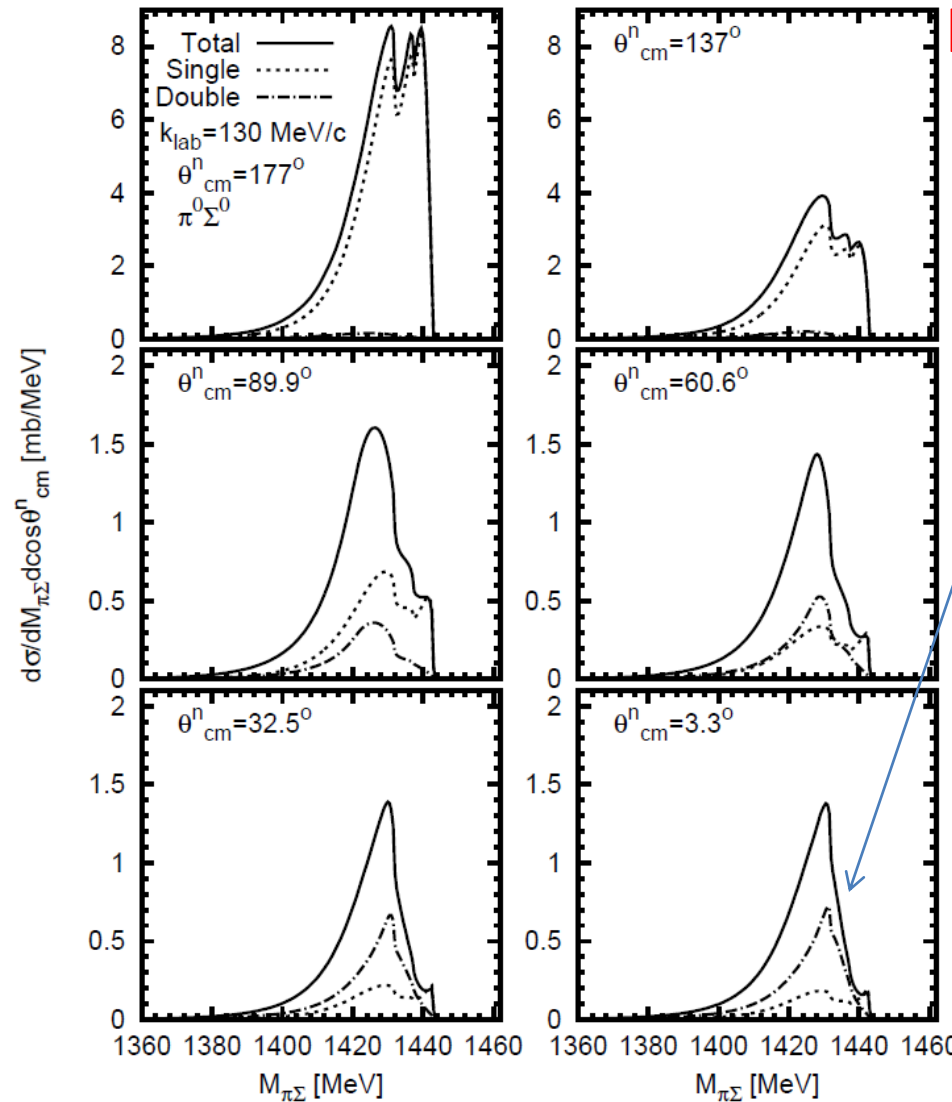
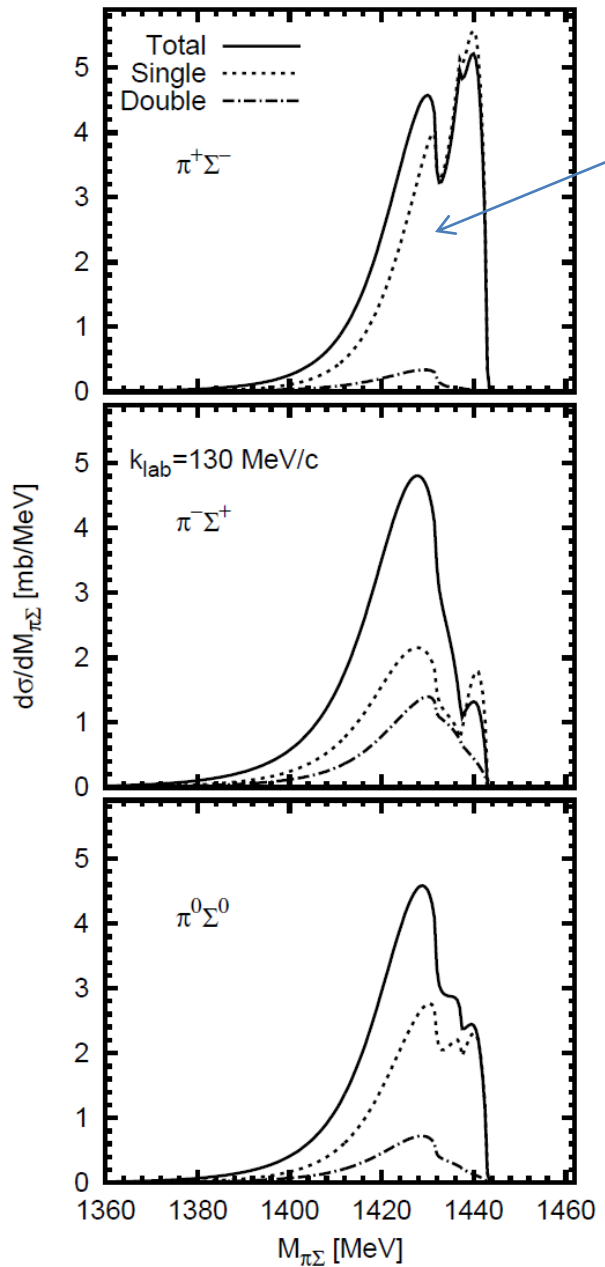
Single scattering catches up and distorts the signal



DAFNE conditions: K coming from ϕ decay:

Hope restored: measure n in coincidence forward in CM (n from single scattering go backwards)

Hopeless



backwards)

The signal of the $\Lambda(1405)$ is predicted clearly around 1420-1425 MeV, like in Braun experiment.

The cross sections obtained are measurable in a few months run, while data are collected for other purposes.

Nevio Grion is planning the experiment.

Byproduct: can there be a strongly bound (not kaonic state) of K^-d ?

The K^-NN system has been thoroughly studied theoretically: Consensus that there is bound state. Differences in mass and width. $B=10-70$ MeV, $\Gamma=50-110$ MeV

Experimentally: several claims, which have been disproved. No evidence, Γ too big???

Y. Ikeda and T. Sato, Phys. Rev. C **76**, 035203 (2007).

N. V. Shevchenko, A. Gal and J. Mares, Phys. Rev. Lett. **98**, 082301 (2007).

N. V. Shevchenko, A. Gal, J. Mares and J. Revai, Phys. Rev. C **76**, 044004 (2007)

A. Dote, T. Hyodo and W. Weise, Nucl. Phys. A **804**, 197 (2008).

A. Dote, T. Hyodo and W. Weise, Phys. Rev. C **79**, 014003 (2009).

Y. Ikeda and T. Sato, Phys. Rev. C **79**, 035201 (2009).

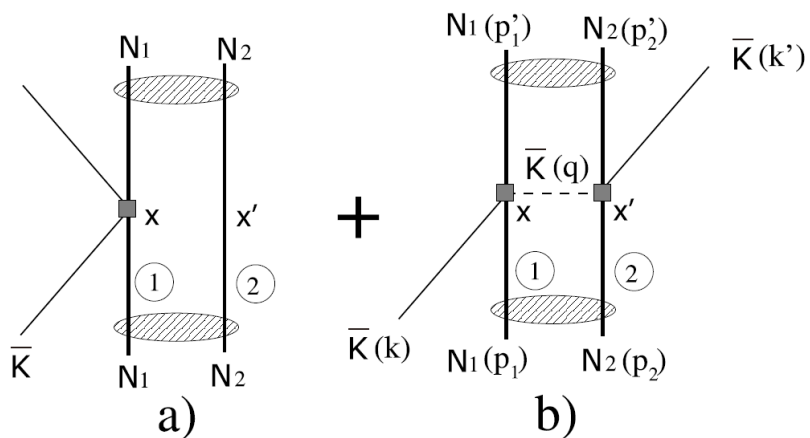
T. Yamazaki and Y. Akaishi, Phys. Lett. B **535** (2002) 70

Y. Ikeda, H. Kamano and T. Sato, Prog. Theor. Phys. **124**, 533 (2010)

All them search and find a state with $S_{NN}=0$ which is the most bound.
No one looked for $S_{NN}=1$, like K^-d state.

Kbar NN scattering Fixed Center approximation to Faddeev equations

M. Bayar, J. Yamagata, E. O.

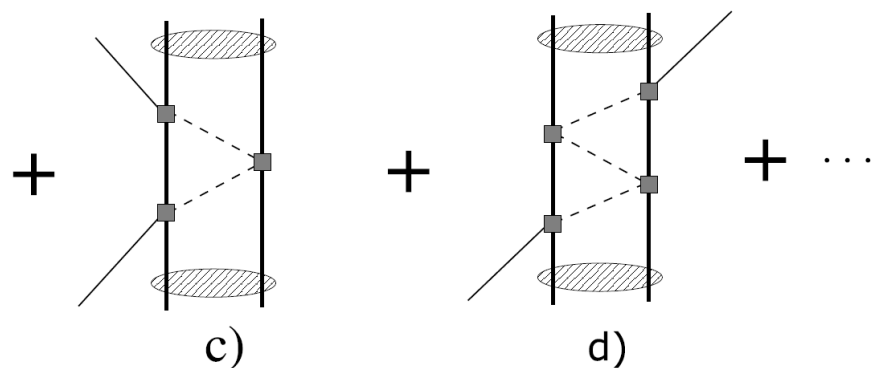


$$T = T_1 + T_2$$

$$T_1 = t_1 + t_1 G_0 T_2$$

$$T_2 = t_2 + t_2 G_0 T_1$$

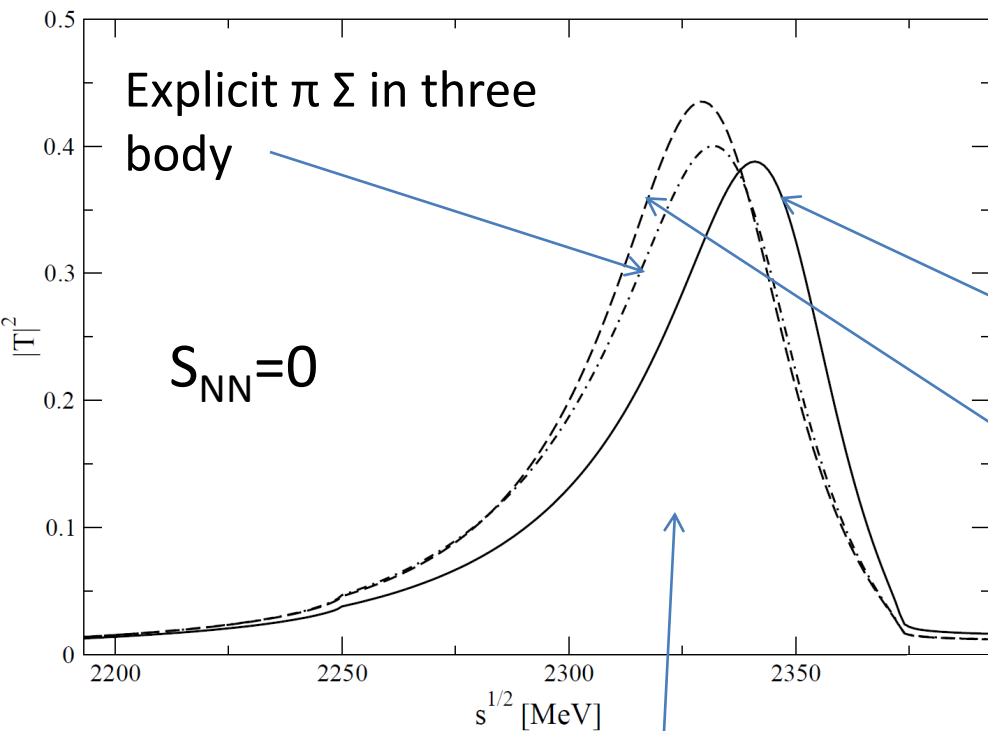
$$t_1 = t_2$$



$$G_0 = \int \frac{d^3 q}{(2\pi)^3} F_{NN}(q) \frac{1}{q^0{}^2 - \vec{q}^2 - m_{\bar{K}}^2 + i\epsilon}$$

NN form factor

$$T = \frac{2t_1}{1 - t_1 G_0}$$



Kbar NN threshold: 2372 MeV

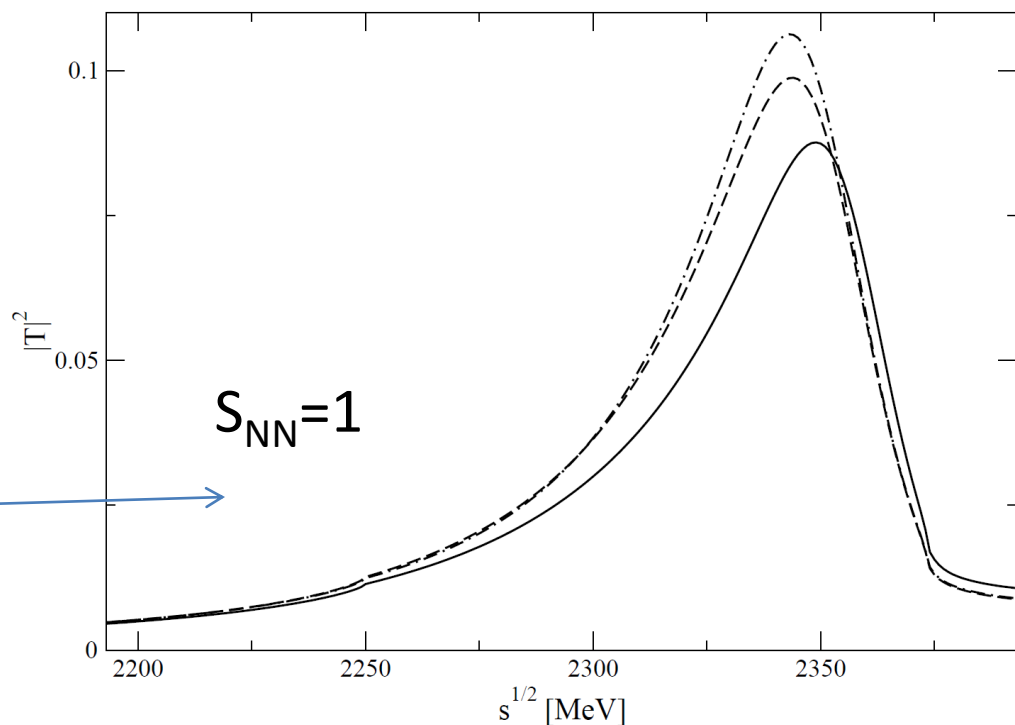
NN size of deuteron

NN decreased size to about half radius from Hyodo et al.

State bound by 45-50 MeV
 Γ around 50 MeV

State bound by 30 MeV
 Γ around 50 MeV

Extra width from Kbar absorption



For $S_{NN}=0$ the FCA provides results similar to those of Hyodo, Dote, Weise, since same input is used.

Novel prediction for $S_{NN}=1$, $K^- d$ strongly bound state. Not found before because people used variational calculations to get minimum energy, or those who used Faddeev preassumed $S_{NN}=0$.

Experiments continue: the existence of new $S_{NN}=1$ state might make the observation more difficult because overlap of two states.

Theoretical confirmation with other methods welcome!!

Conclusions

Mounting evidence that there are two $\Lambda(1405)$ states

The $K^- d \rightarrow n \pi \Sigma$ reaction with K^- in flight gives evidence of the high energy, narrow $\Lambda(1405)$ state

DAFNE low energy Kaons still good, but neutrons forward must be measured in coincidence. Proposal planned.

There is a strongly bound $K^- NN$ system, with $S_{NN}=1$ like in d

This is a novel theoretical finding since only $S_{NN}=0$ has been investigated so far. Caveat with the width for experimental identification.