

# Setting the stage: Low recoil and physics impact 2018+

First bsll workshop (2011, DESY) was solely on rare b-decays@LoReco <https://indico.desy.de/indico/event/4250/>

This talk really is about charm-contributions to bsll at lo recoil; recent works by Lyon, Zwicky 1406.0566, Brass, GH, Nisandzic 1606.00775, Blake, Egede, Owen, Pomery, Petridis 1709.03921

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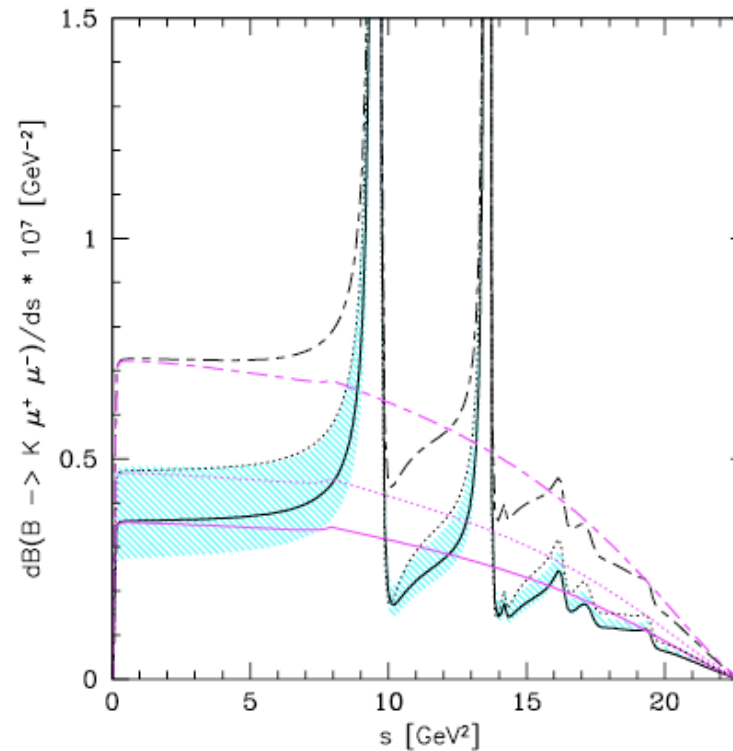
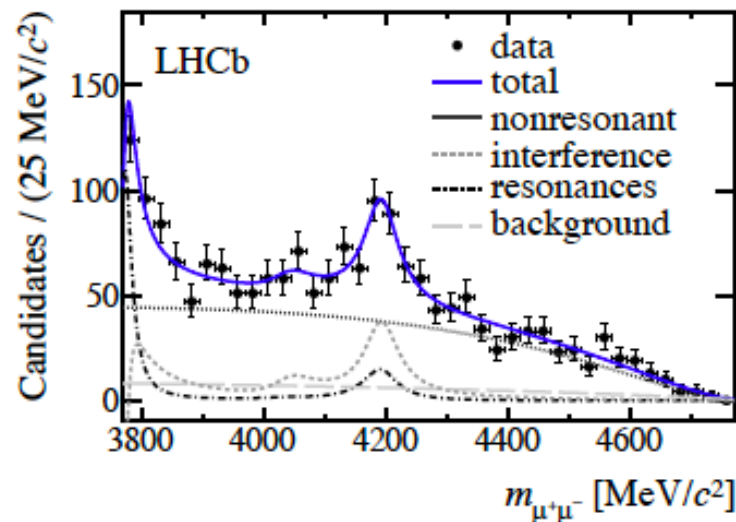
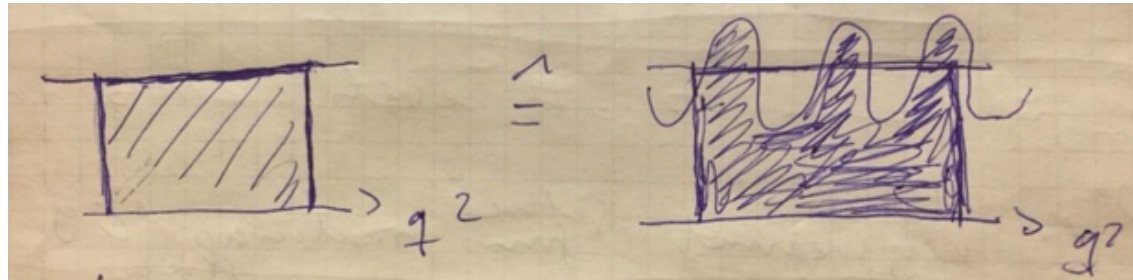


Fig from Ali et al hep-ph/9910221, solid: SM (with bands from FF-uncertainties), dotted and dot-dashed: BSM scenario

- factorization (one global framework)  $\rightarrow$  QCDF, OPE
- LCSR form factors (extrapolated)  $\rightarrow$  lattice form factors Horgan et al 1310.3722 and FF fits to high and low  $q^2$  1204.4444, 1308.4379, 1503.05534
- $c\bar{c}$  resonances from  $e^+e^-$ -data a la Krüger, Sehgal hep-ph/9603237  $\rightarrow$  ??

Operator Product Expansion in  $1/q^2$ ,  $q^2 \sim \mathcal{O}(m_b^2)$  Buchalla, Isidori, Grinstein, Pirjol,

Beylich, Buchalla, Feldmann includes charm effects after binning



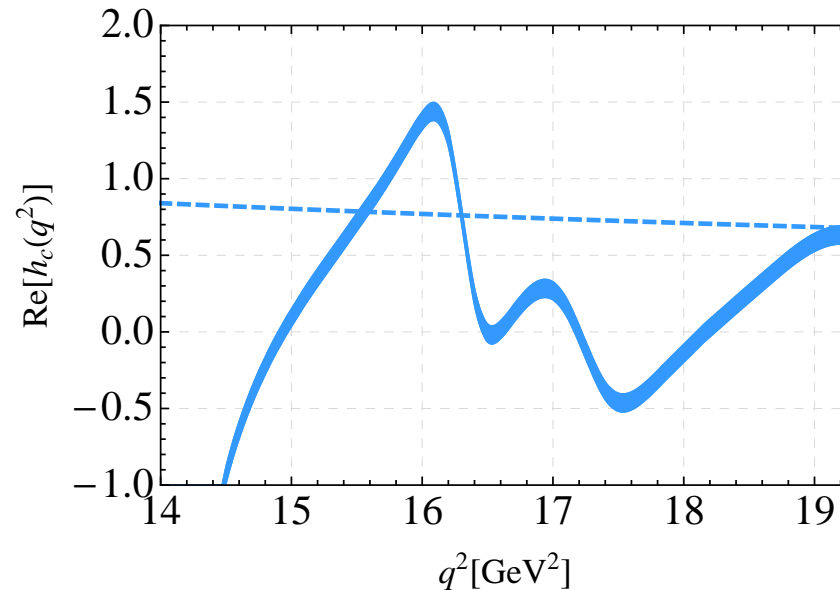
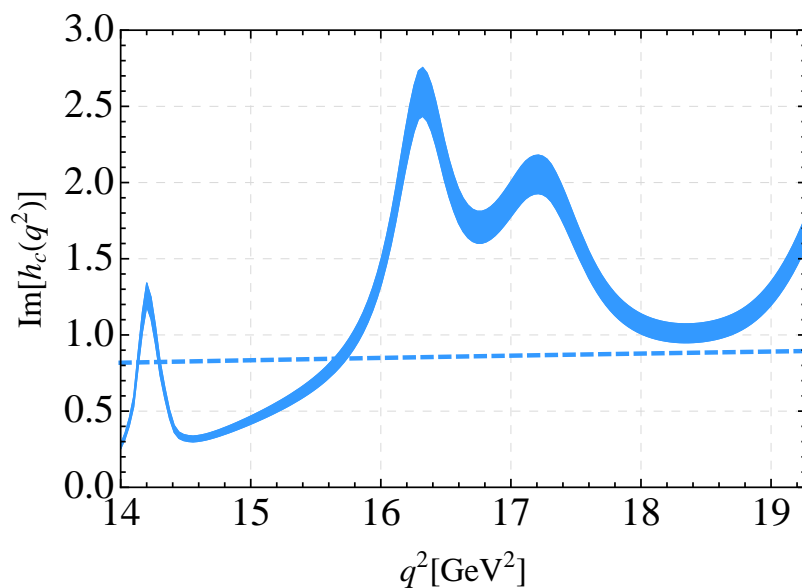
Bin size and position affect how well this works. Beyond-OPE question. Resonance "wiggles" observed in  $B \rightarrow K \mu \mu$ . LHCb 1307.7595

# Local spectra wiggle (LHCb)

How good is the OPE (uncertainties) quantitatively, depending on bin size and position?

Useful (pheno) local description i) per se [Blake et al '17](#) and ii) as a test case against the OPE [Brass et al '16](#)?

Parametrization:  $C_9^{\text{eff}}(q^2) = C_9 + 3a_2 \eta_c(\dots) \cdot h_c(q^2) + \text{penguins}$ ,  $3a_2 \simeq 0.6$

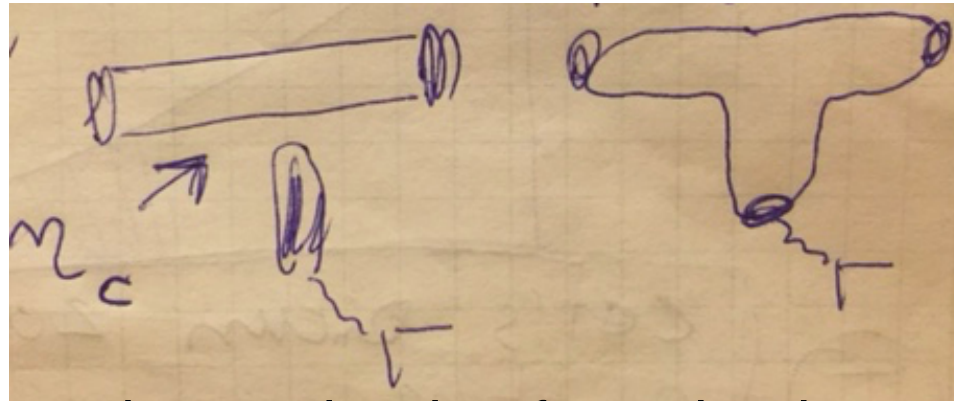


$h_c(q^2)$  from  $e^+e^-$  data + dispersion relation [Krüger, Sehgal](#) with BES-II data

'07 [Lyon Zwicky](#) Figs from 1606.00775 [Brass et al](#)  $\eta_c(\dots)$ : "fudge functions"

# $B \rightarrow K^{(*)} \mu\mu$ @lo recoil

$\eta_c = \eta_c(q^2)$ : "fudge functions" needed for  $B \rightarrow K^{(*)} \mu\mu$ ,  
complex-valued, process-dependent; in principle, also angular  $\Theta_\ell$   
and  $\Theta_K$ -dependence [1606.00775](#), neglected here.

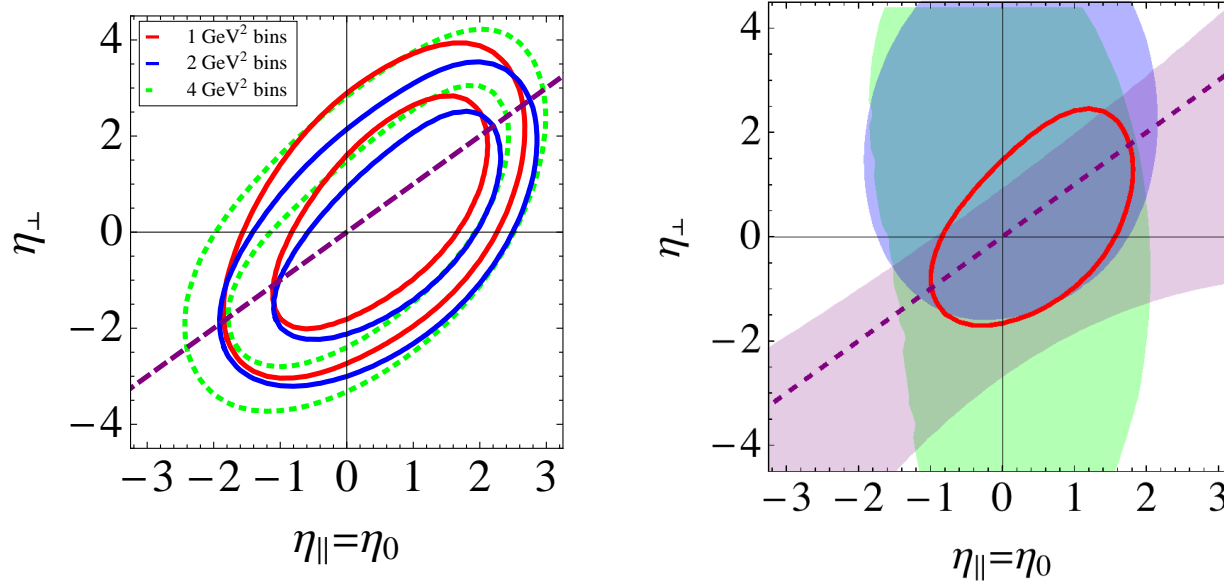


$\eta_c \neq 1$  models effects beyond naive factorization

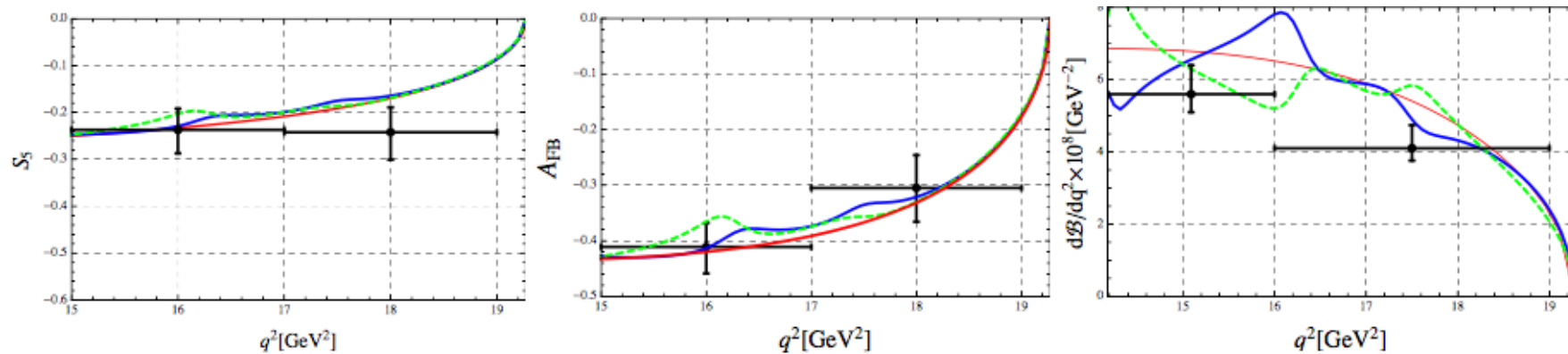
	$J/\Psi$	$\Psi(2S)$	$q^2 > m_{\Psi(2S)}^2$
$K$	$1.40 \pm 0.09$	$1.72 \pm 0.08$	$\simeq -2.5$ <a href="#">Lyon, Zwicky</a>
$K^*$ (Br)	$0.96 \pm 0.06$	$0.85 \pm 0.06$	<b>see fits</b> <a href="#">1606.00775 Brass et al</a>

$\eta_c(K_{\parallel}^*, q_{max}^2) = \eta_c(K_0^*, q_{max}^2)$  universal at endpoint [GH, Zwicky '13](#)

# $B \rightarrow K^* \mu\mu$ @lo recoil

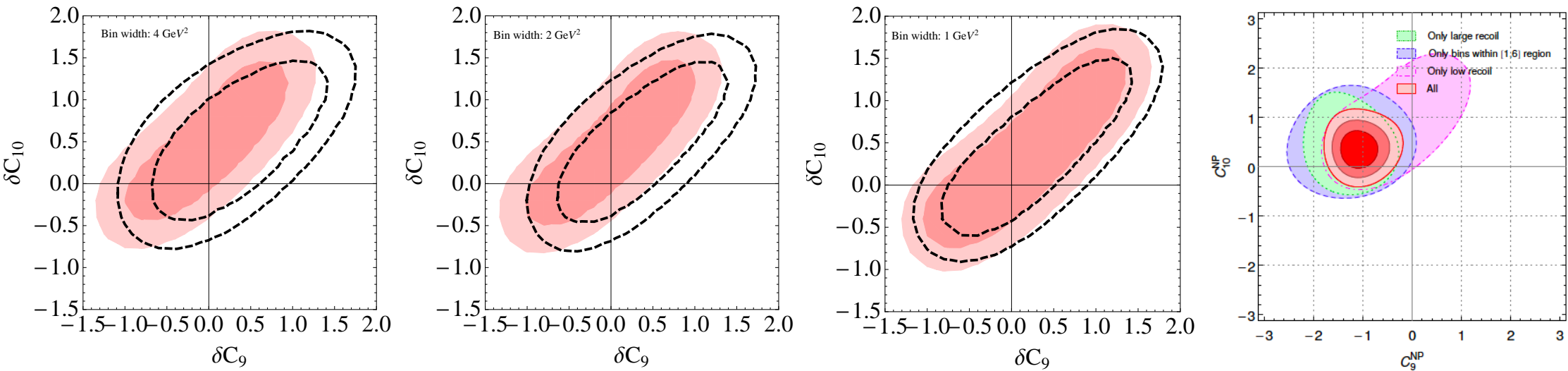


Figs from 1606.00775; Left: simultaneous fit to  $C_{9,10}$  and  $\eta_{\perp}, \eta_0$  Right plot: assuming SM, green: Br, magenta  $S_8, S_9$ , blue  $A_{FB}$



black data: LHCb, vs SM curves red: "unbinned" OPE, blue  $\eta_c(K^*) = 1$ , green  $\eta_c(K^*) = -1$ .

$S_5 \propto P_5'$  and  $A_{FB}$  less sensitive to local wiggles than branching ratio. Constrain model-parameter  $\eta_c(K^*)$  in future from the latter.



Low recoil fit  $B \rightarrow K^* \mu\mu$  only, incl. Br, LHCb and  $A_{\text{FB}}^{\text{CMS}}$ .

red: OPE, black: KS-model with  $\eta_0 = \eta_{\parallel}$  and  $\eta_{\perp}$  simultaneously fitted, 68 and 95 %CL

Consistent with plot to the right shows  $3\sigma$  regions, pink: full high  $q^2$  bin [Hofer et al 1510.04239](#), and SM.

Existing  $B \rightarrow K^* \mu\mu$  data barely see "wiggles"; results consistent between all binnings  $\Delta q^2 = 1, 2, 4 \text{ GeV}^2$

– Low recoil region in semileptonic rare  $|\Delta b| = |\Delta s| = 1$  decays is inhabited by wider charm resonances.

– Using a local model against the OPE provides a data-driven method to test the binning and limitations of the OPE.

– Further tests include Null tests of the angular distribution [Bobeth, GH, van Dyk '13](#)

$$J_7 \simeq -\frac{9}{\sqrt{2}} f_0 f_{\parallel} C_{10} a_2 \text{Im}[h_c(q^2) (\eta_c(K_0^*, q^2) - \eta_c(K_{\parallel}^*, q^2))], \quad (1)$$

$$J_8 \simeq -\frac{9}{2\sqrt{2}} f_0 f_{\perp} (\tilde{C}_9^{\text{eff}} + \kappa \frac{2m_b m_B}{q^2} C_7^{\text{eff}}) a_2 \text{Im}[h_c(q^2) (\eta_c(K_0^*, q^2) - \eta_c(K_{\perp}^*, q^2))], \quad (2)$$

$$J_9 \simeq -\frac{9}{2} f_{\parallel} f_{\perp} (\tilde{C}_9^{\text{eff}} + \kappa \frac{2m_b m_B}{q^2} C_7^{\text{eff}}) a_2 \text{Im}[h_c(q^2) (\eta_c(K_{\parallel}^*, q^2) - \eta_c(K_{\perp}^*, q^2))], \quad (3)$$

– SM fits on  $B \rightarrow K^* \mu \mu$  at low recoil are consistent with the SM, however, large BSM effects  $-\delta C_{10} \sim \delta C_9 \sim -0.5$  are also allowed.



- Do we need binning at all with the current/future round of data?  
OPE should be best towards endpoint and larger bins 17 – 19 GeV<sup>2</sup> Brass et al '16
- More sophisticated, theory-driven approach for fudge functions?
- More data to improve on pheno-approach to fudge functions?
- Form factor uncertainties still major uncertainty at low recoil!
- Fit to low recoil and low  $q^2$  and inclusive/exclusive decays should return same Wilson coefficients/ check of systematics for TH and EXP; lets see in  $\approx$  bsll2020