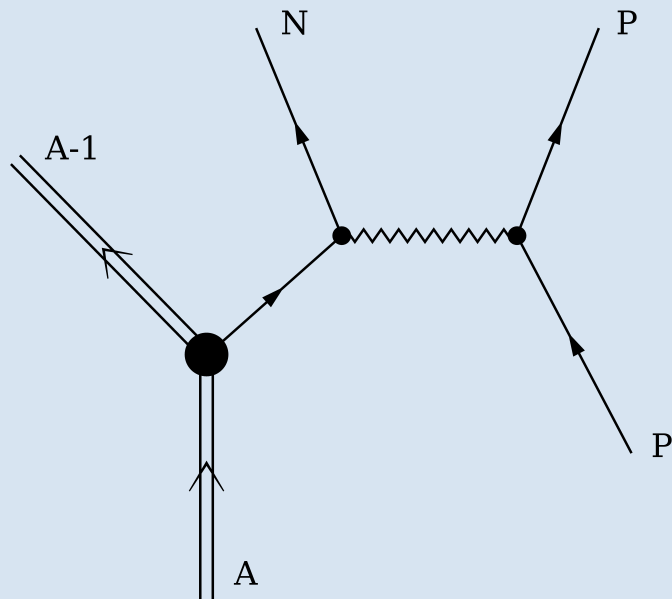


# Simulations for the Target Recoil Tracker at the R<sup>3</sup>B experiment

Mrunmoy Jena  
E62, Technical University of Munich

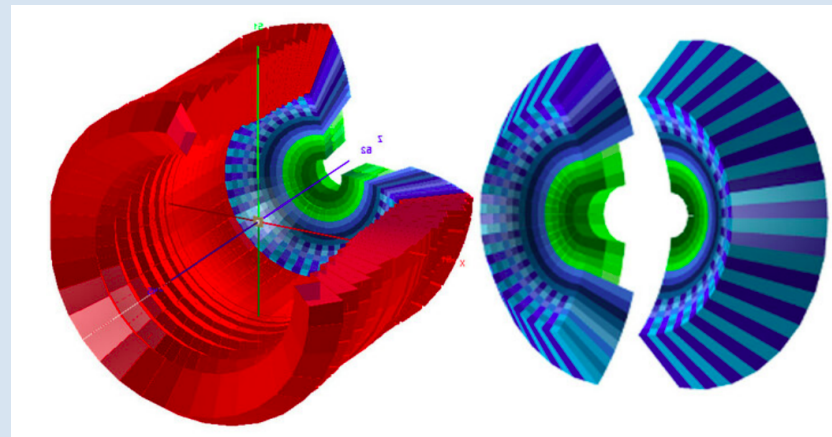
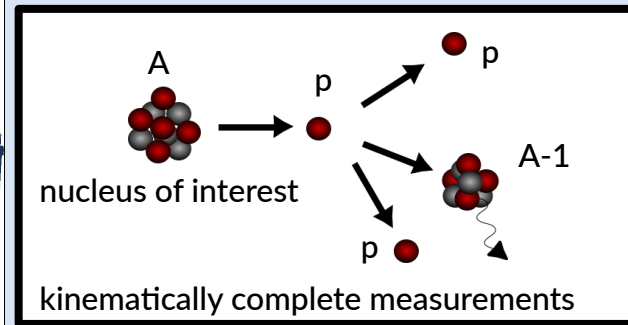
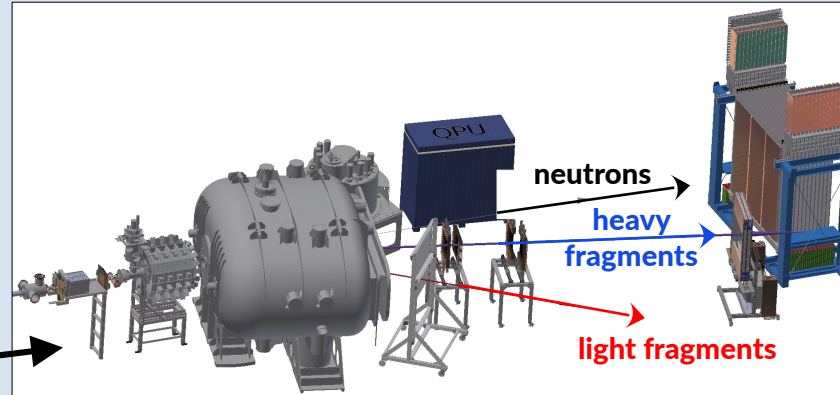
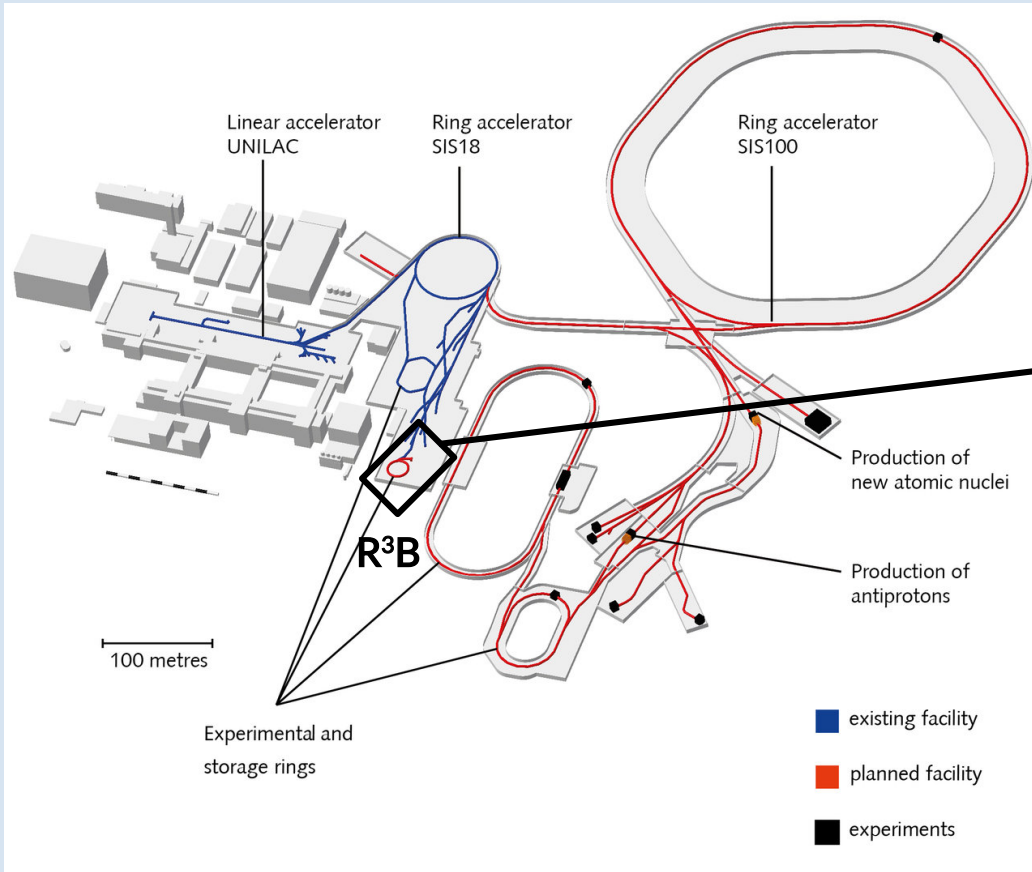
ORIGINS PhD Days, Kufstein  
16.05.25



The impulse approximation:

- At high beam energies (100-1000 MeV/A), de Broglie wavelength of incident proton is less than avg. internucleon separation  $\Rightarrow$  strongly localized interaction
- Influence of spectator nucleons minimal  $\Rightarrow$  “quasi”-free process
- Residual ( $A-1$ ) nucleon gives valuable info about knocked out proton: **internal momentum**, **separation energy**

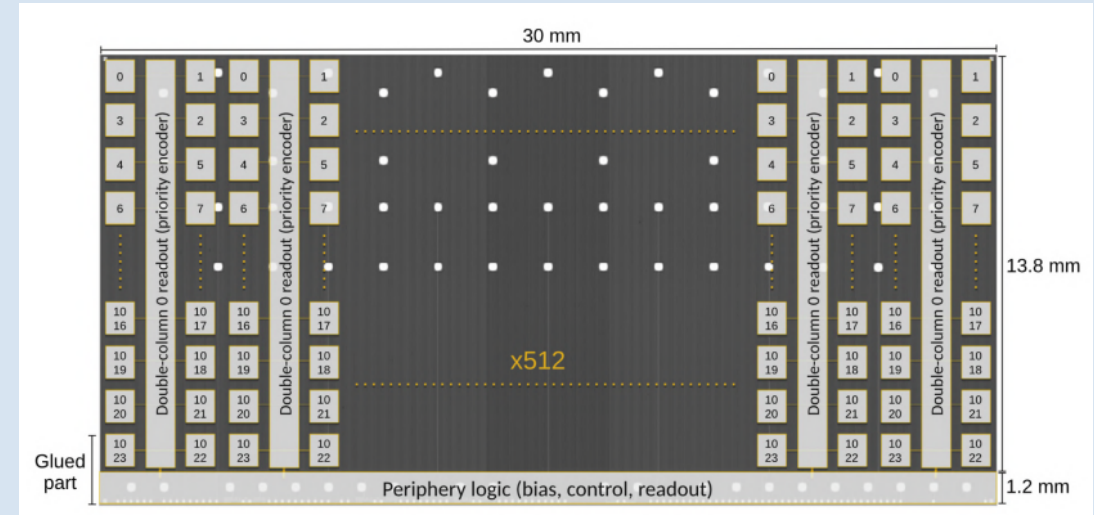
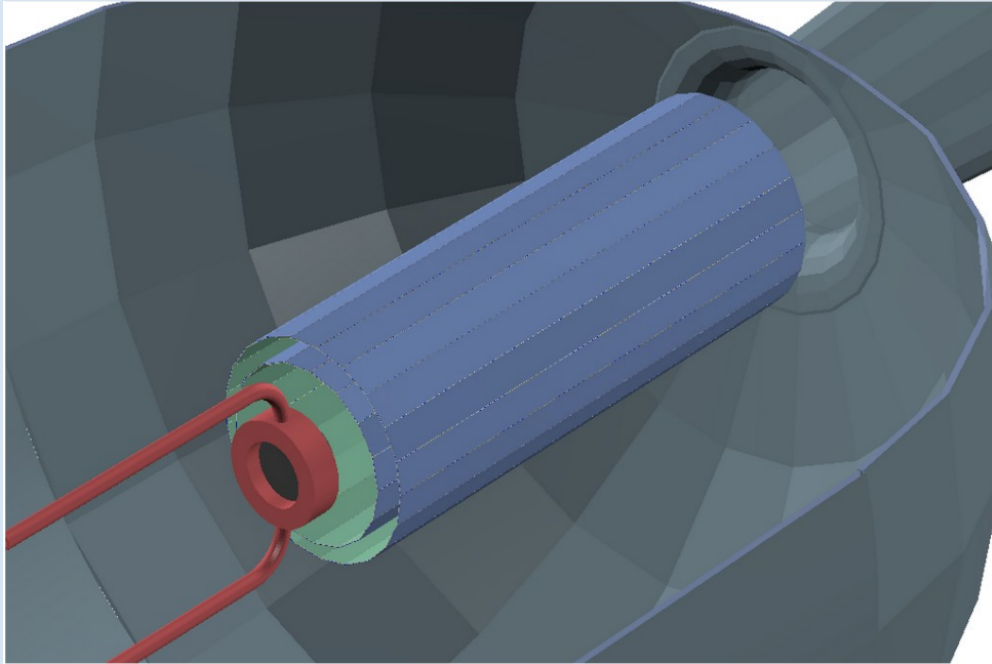
## R<sup>3</sup>B: Reactions with Radioactive Beams



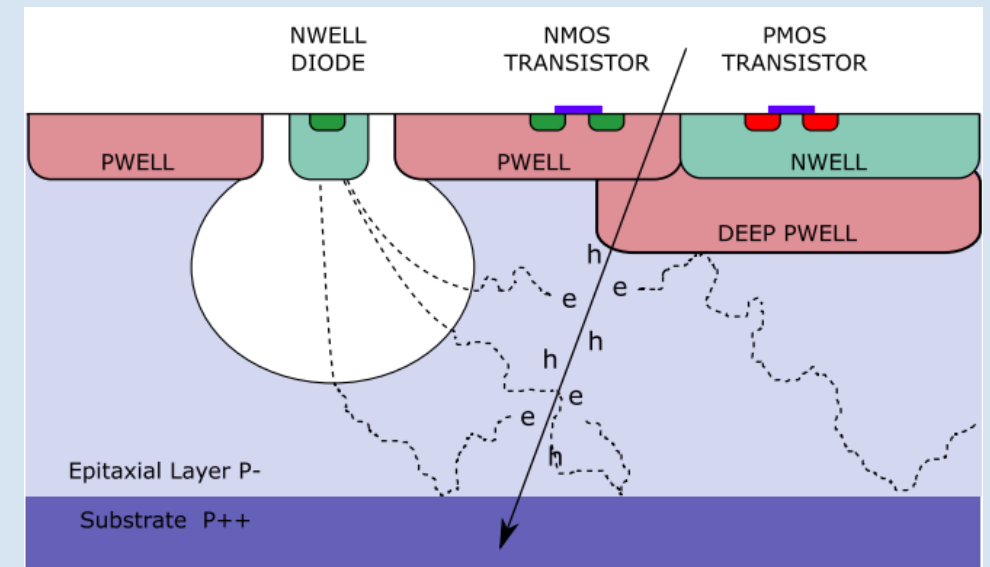
**CALorimeter for the In Flight detection of  $\gamma$  rays and light charged pArticles**

Inverse QFS as a probe for:

- Short range NN correlations
- Deformation of asymmetric nuclei
- In-medium effects: clusterization of nuclei
- and so on...



- A precise reaction vertex reconstruction + kinetic energy measurement in CALIFA, provides 4-momenta of light charged particles
- Helps identify **missing mass** in a (p,2p) reaction
- Ideal choice: adopt the ALPIDE MAPS sensor  
→ small pixel size (sub 10  $\mu\text{m}$  res.), high efficiency for MIPs, etc.

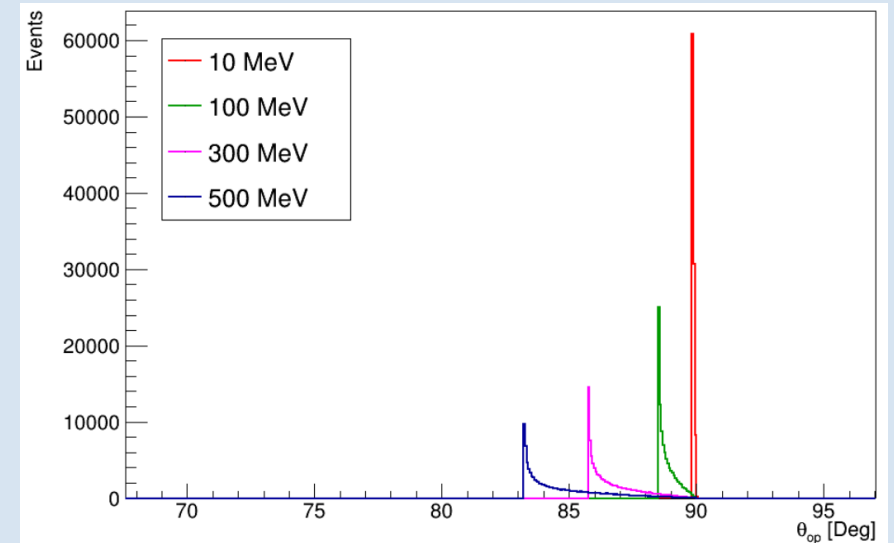
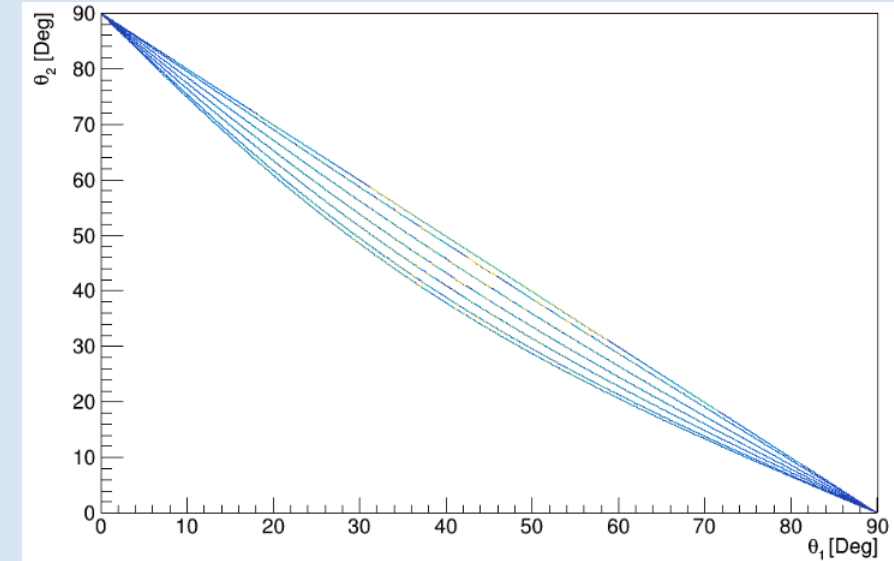
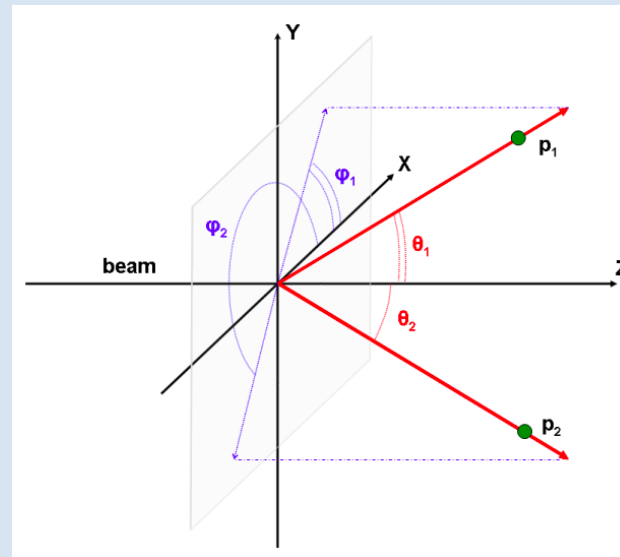


- Simulation without any target dimensions or detector geometry
- Provide initial 4 momenta to beam, target
- In the CM frame, calculate  $t_{min}$  and  $t_{max}$  using known relations:

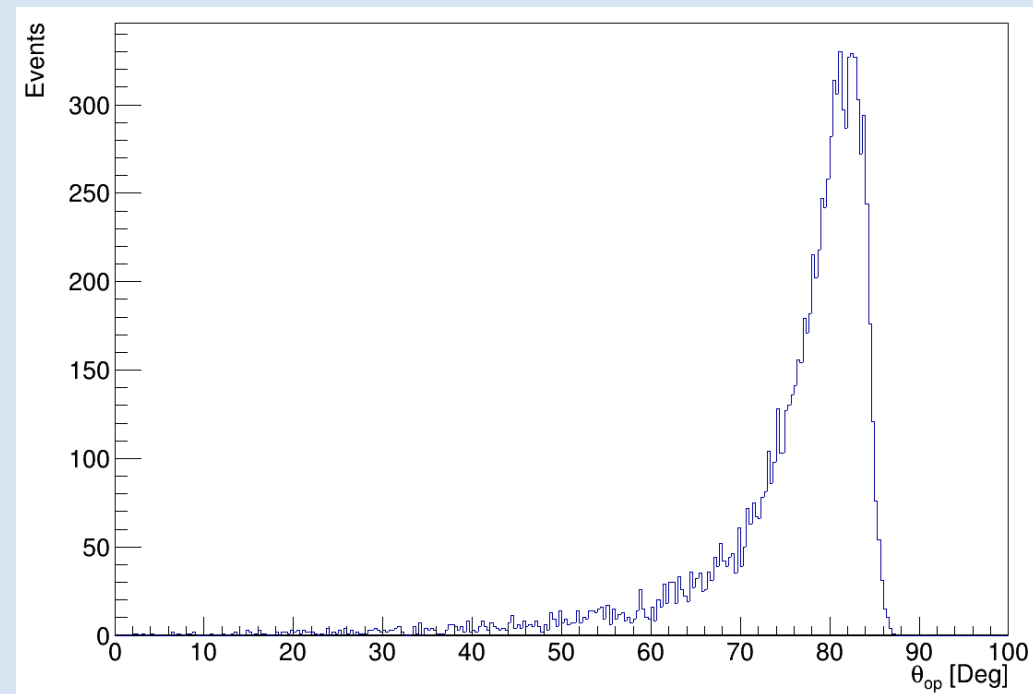
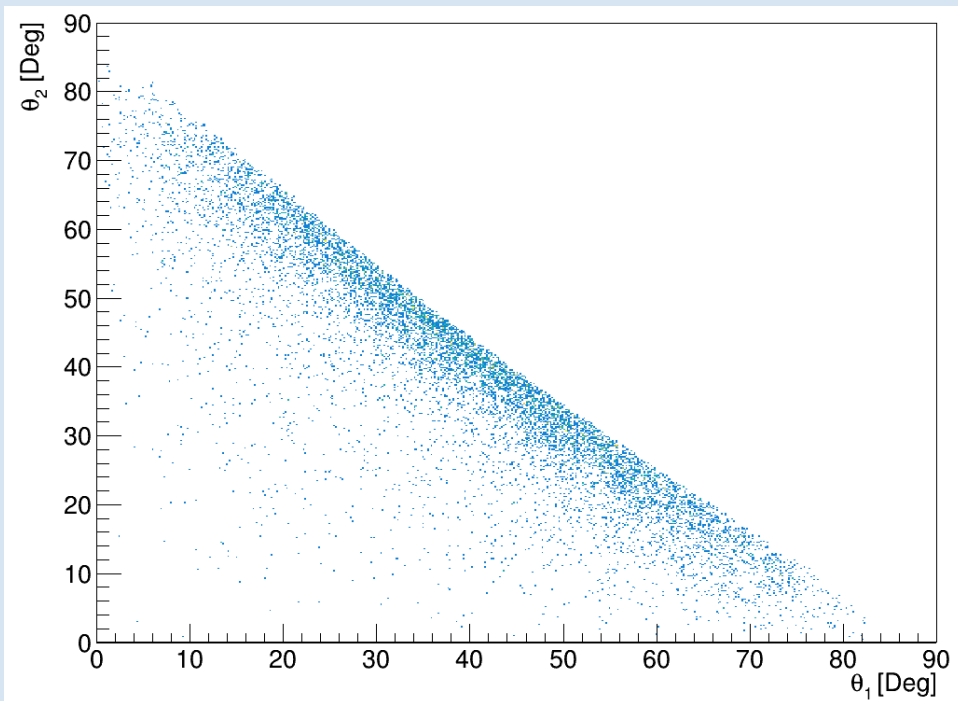
$$t = (p_1 - p_3)^2 = -2|\vec{p}|^2(1 - \cos \theta_{CM})$$

$$-1 \leq \cos \theta_{CM} \leq 1 \Rightarrow -4|\vec{p}|^2 \leq t \leq 0$$

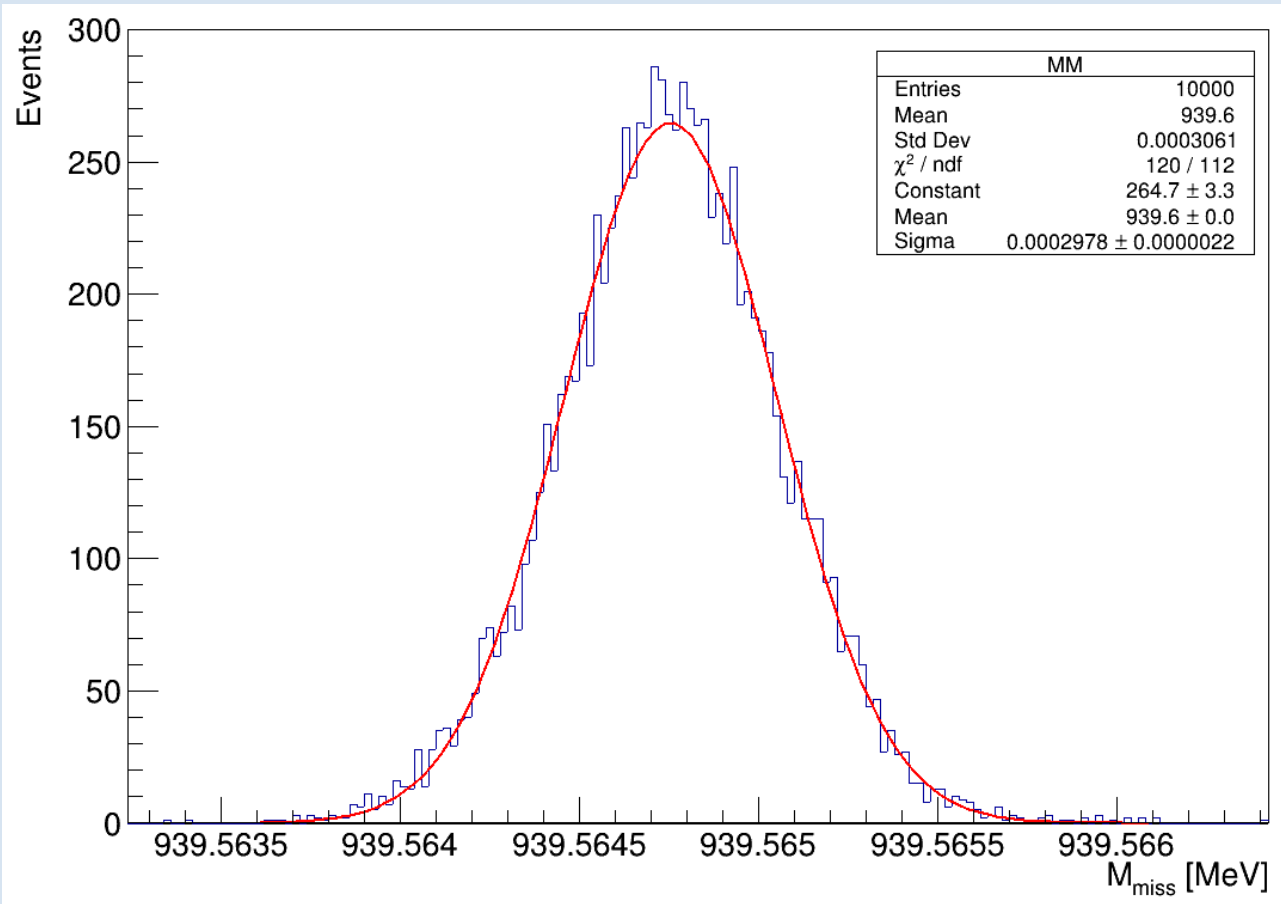
- Sample  $t$  randomly from a parametrized pp cross section:  
 $d\sigma / dt = e^{Bt} ; B=f(p_{lab})$
- Obtain  $\theta_1$  and  $\theta_2$ , perform Lorentz transformations back to lab frame  $\rightarrow \theta_{1L}$  and  $\theta_{2L}$



- Defined an  $\text{LH}_2$  target (1.5 cm)
- $p_F = 116 \text{ MeV}/c$  given to the deuteron beam with  $E_{\text{beam}} = 400 \text{ MeV}/A$
- Beam profile smeared in (x,y) directions as Gaussian, with  $\sigma = 0.5 \text{ mm}$ , uniform distribution in z over target length
- Tracks propagated through the target using GEANT4 Engine



# Non trivial case: d(p,2p)n scattering

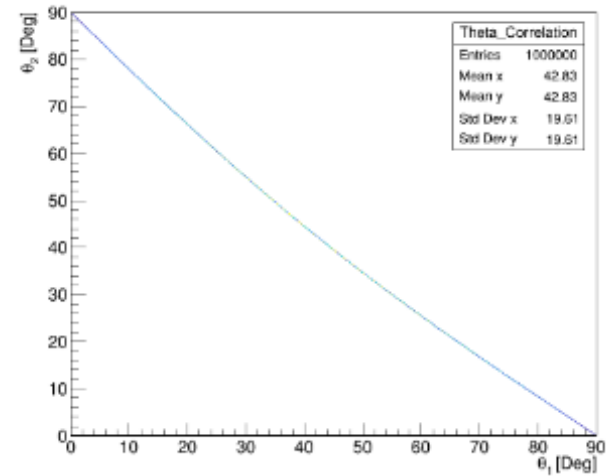


$$p_{miss} = p_{tgt} + p_{beam} - (p_1 + p_2)$$

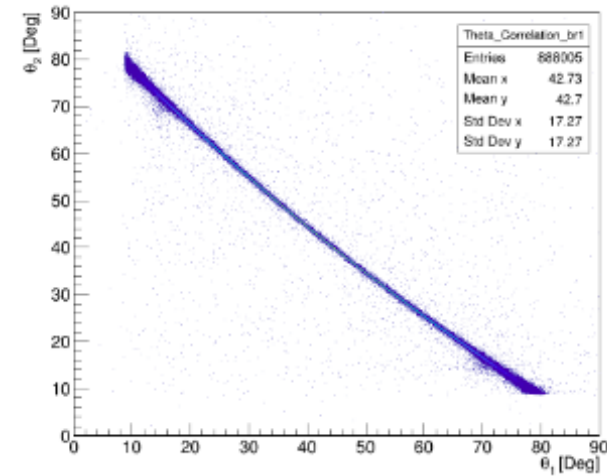
$$= E_{ex} + m_{frag}$$

Here, just the neutron mass

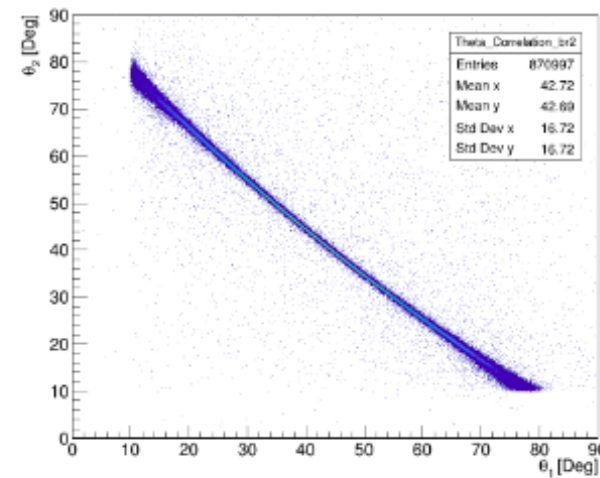
# Back to (p,p) scattering (with TRT)



Without TRT

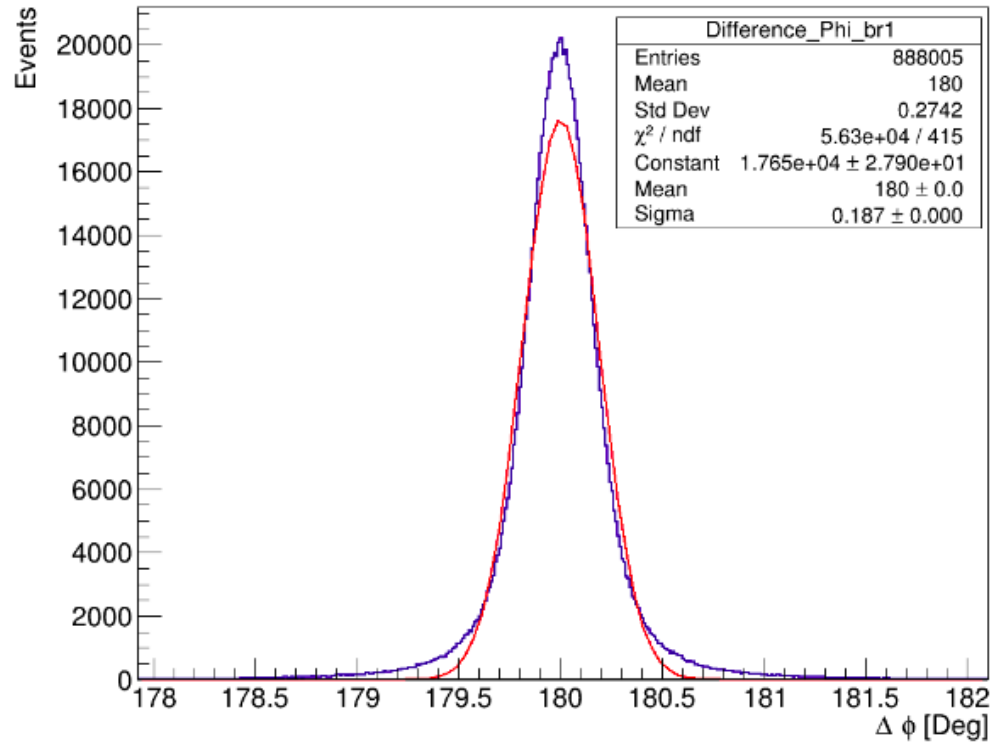


With TRT (inner barrel)

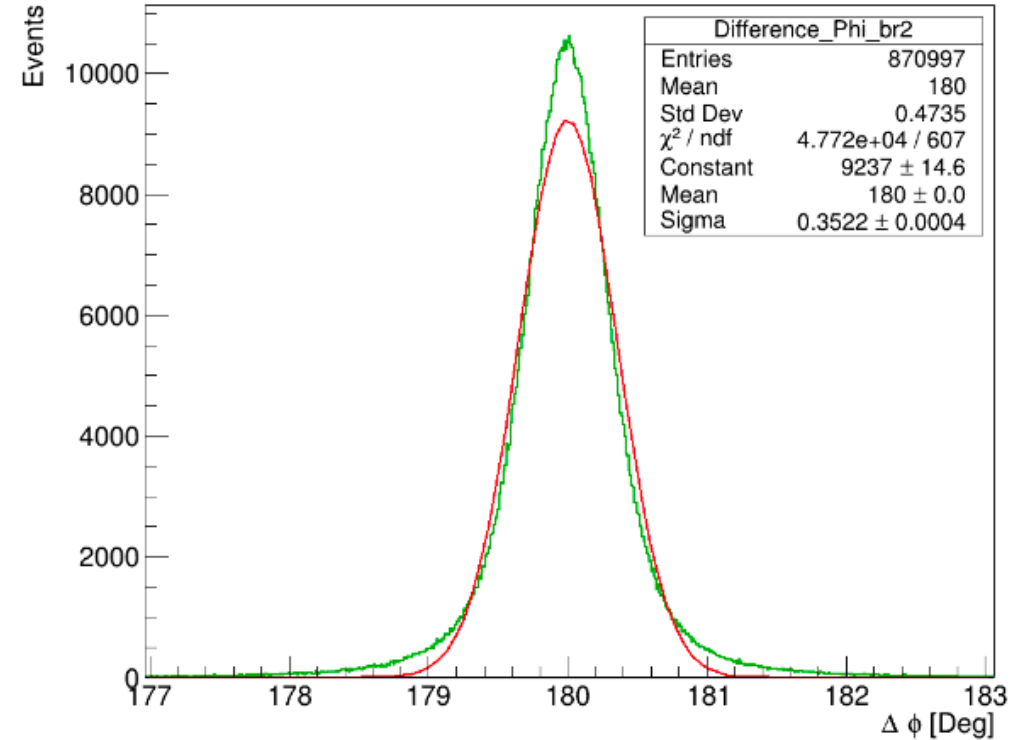


With TRT (outer barrel)

# Back to (p,p) scattering (with TRT)



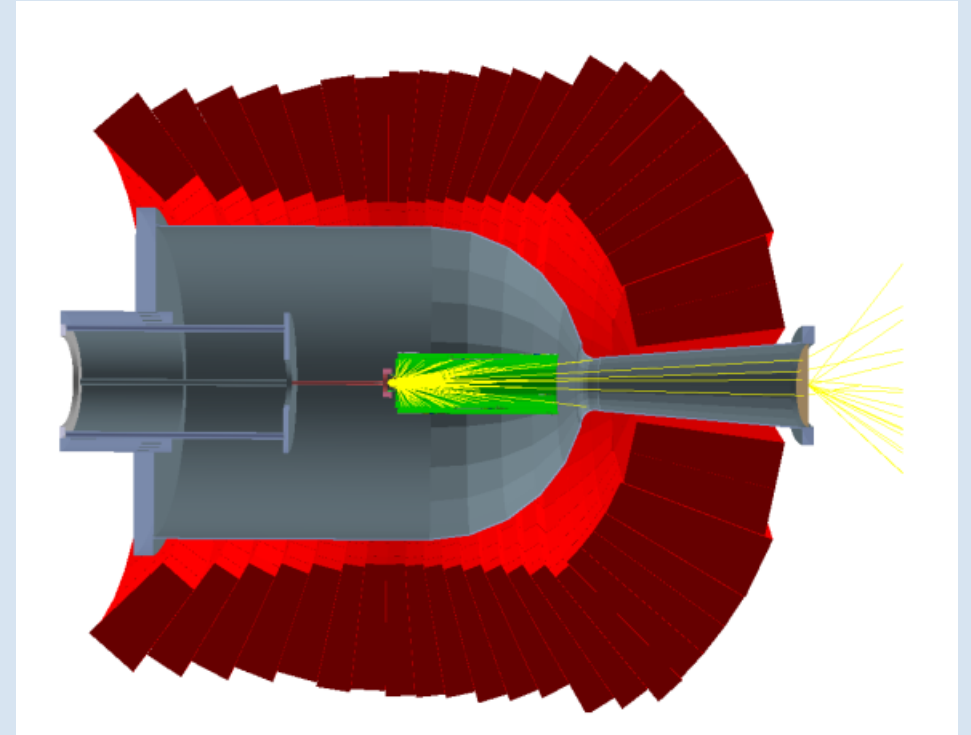
Gauss fit to  $\Delta\phi$  distribution for inner barrel



Gauss fit to  $\Delta\phi$  distribution for outer barrel

Angular resolution for TRT :  $\sigma \sim 3$  mrad

- Simulations are still semi-realistic...
- Must include CALIFA calorimeter to get actual kinetic energies, as in experiment
- Apply an excitation energy in the simulation, Doppler correction to **output excitation energy**, to find this resolution
- Effect of background (delta electrons) in angular and vertex reconstruction not yet considered
- Future plan: an ideally thin, additional inner barrel (50  $\mu\text{m}$ ) to be used to improve track reconstruction





**Thank You !**

